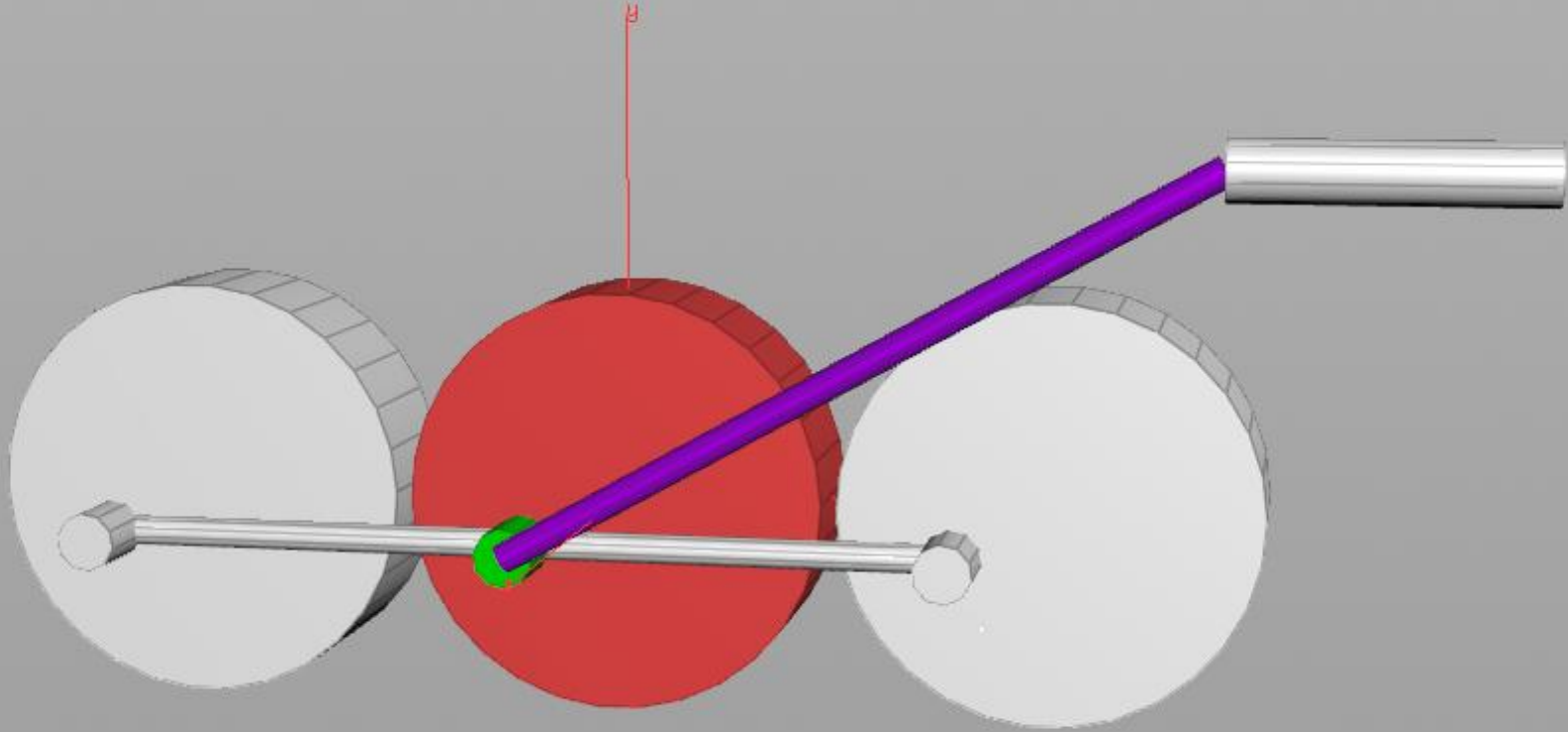
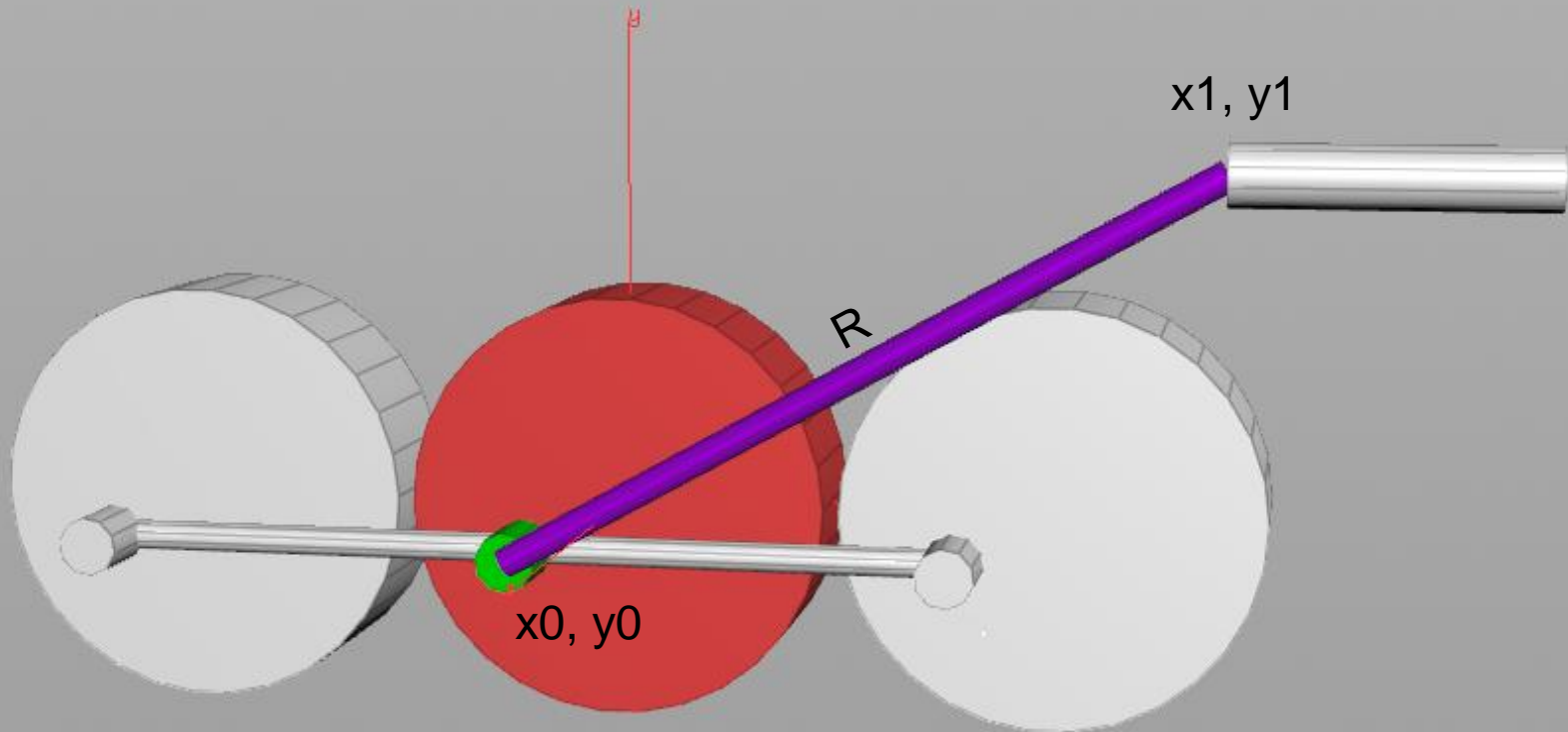


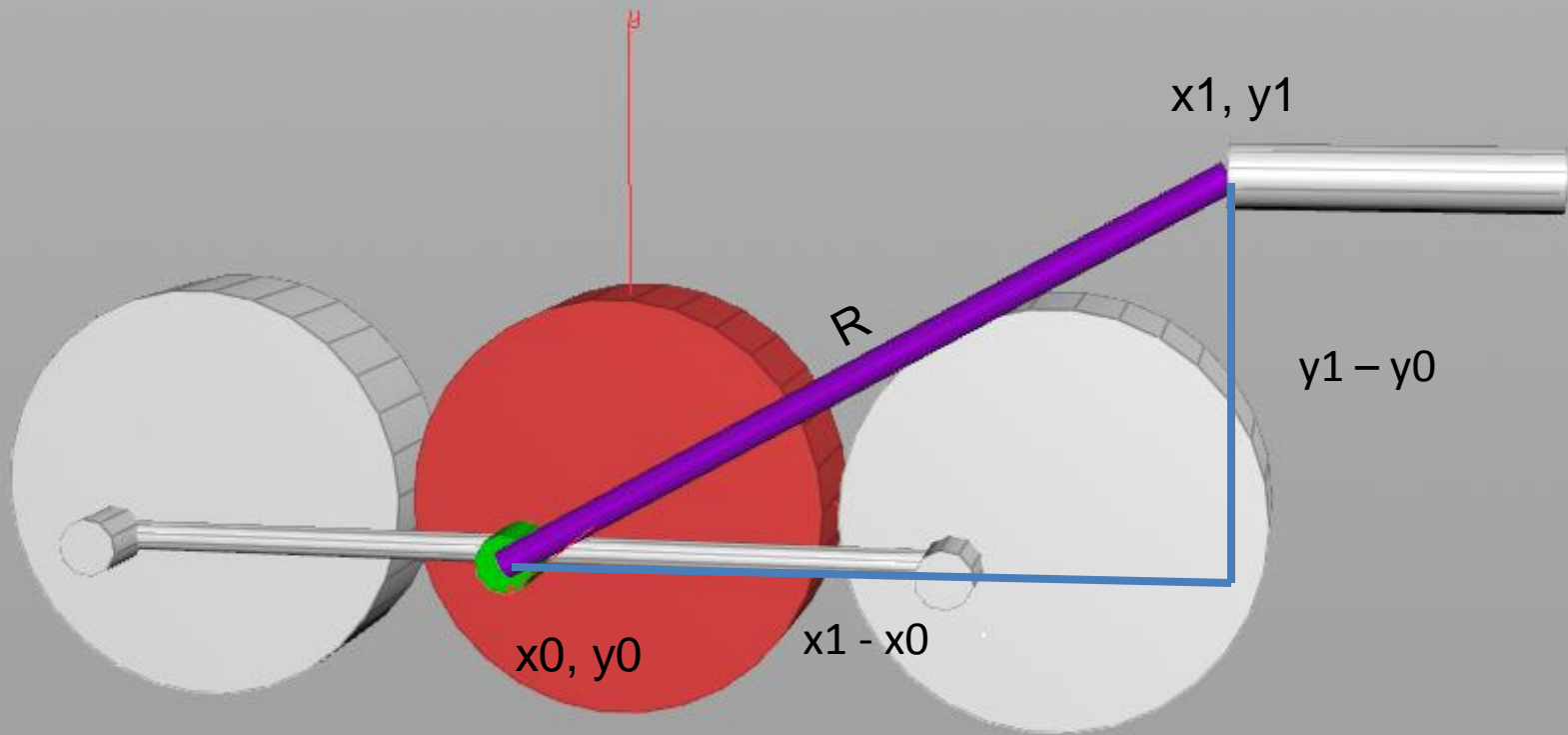
Suppose you want to move a “train wheel”?



Pythagorean to the rescue!



The wheel or the rod have to drive the motion - it's easier to drive the motion based on the wheel rotation (even though a real train is driven the other way).



We know the hypotenuse R . We also know each side. Thus we can compute the angle the Rod R rotates – by the definition of \cos it will rotate $\arccos((y_1 - y_0) / R)$

(recall the positive rotation is from the x -axis moving counter-clockwise so the resulting angle will be subtracted from 270)

We can then compute x_1 from pythagorean

$x = \sqrt{R^2 - \text{changeInY}^2}$ where changeInY is just $y_1 - y_0$

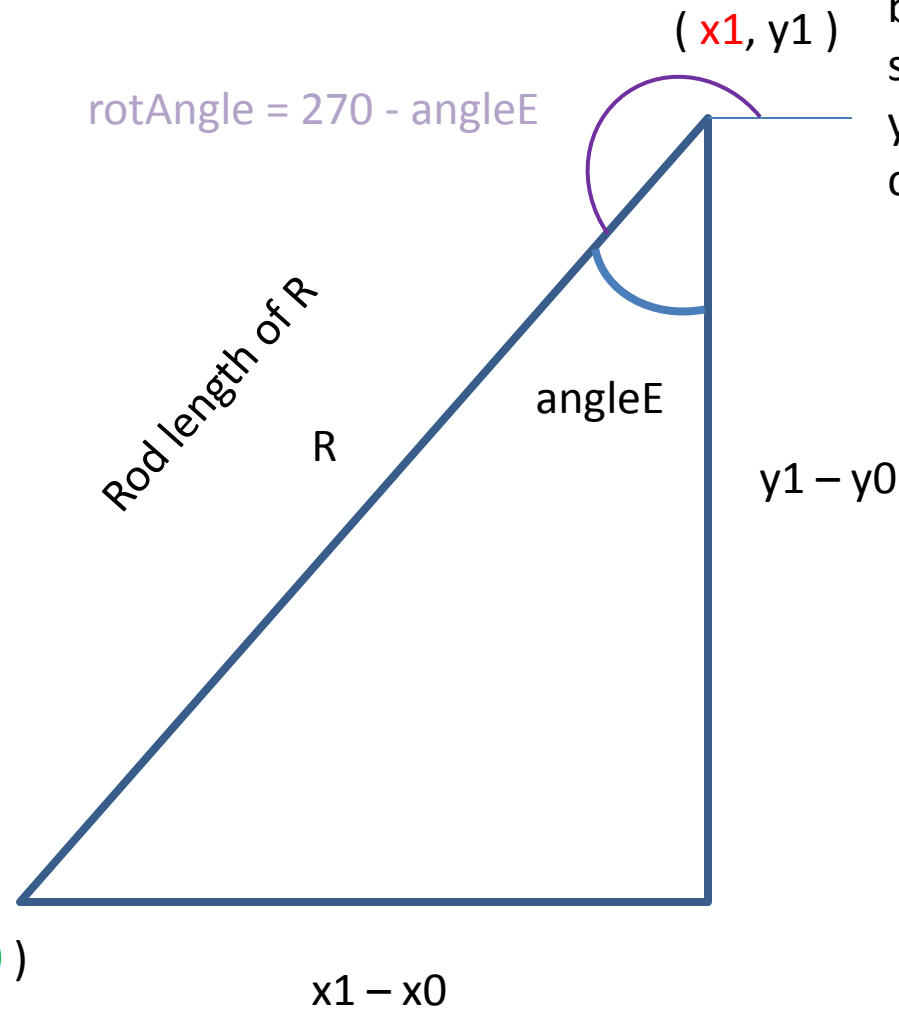
By pythagorean:

$$x1 = \text{sqrt} (R * R - \text{changeY} * \text{changeY})$$

Where $\text{changeY} = y1 - y0$

The rod is to be sliding at some height $y1$ so we can compute $x1$

$$\text{rotAngle} = 270 - \text{angleE}$$



We can reference the rotating circle giving $x0, y0$

$(x0, y0)$

$x1 - x0$

From the sample hip file,
in TRANSFORM_ROD,
compute the angle that
the ROD will rotate (seen
on the right)

```
{  
# Transform the ROD  
R = ch("../lengthOfRod");  
y1 = ch("../heightOfRod");  
y0 = point("../WHEEL_Transform",160,"P",1);  
angleE = acos((y1-y0)/R);  
  
return 270 - angleE;  
}
```

```
{  
R = ch("../lengthOfRod");  
y0 = point("../WHEEL_Transform",160,"P",1);  
# y1 = point("../xform16",40,"P",1);  
# to avoid infinite recursion - use the height of  
the rod  
y1 = ch("../heightOfRod");  
changeY = y1 - y0;  
changeX = sqrt(R * R - changeY * changeY);  
x1 = point("../WHEEL_Transform",160,"P",0) +  
changeX;  
return x1;  
}
```

In TRANSFORM_ROD,
compute x1 of the ROD
(seen on the left)